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Synthetic division practice problems worksheet

Synthetic part of polynomials – Practice Problems Move mouse over Response to reveal response or click on the Full Solution link to reveal all the steps needed for synthetic polynomy splitting. Show mobile notification Show all notes Hide all notes Mobile Note It seems that you are on a device with a narrow screen width (that is, you are probably on a mobile phone). Due to the nature of the mathematics of this site is the best views in landscape mode. If your device isn't in landscape mode, many of the equations will shift to the side of your device (you should be able to scroll to see them) and some menu items will be cut off because of the narrow screen width. For problems 1 - 3, use a long division to perform the specified division. Divide $\sqrt[3]{x^4 - 5x^2 + 3}$ by dividing the solution into $(x + 2)$ splitting the solution $\sqrt[3]{x^3 + 2x^2 - 3x + 4}$ into $\sqrt{x - 3}$ 2 7) Split solution $\sqrt[2]{x^5 + x^4 - 6x + 9}$ from $\sqrt{(x^2) - 3x + 1}$ Solution For problems 4 - 6 use a synthetic division to perform the specified division. Divide $\sqrt{(x^3) + (x^2) + x + 1}$ into $\sqrt{x + 9}$ splitting the solution $\sqrt[7]{x^3 - 1}$ by $\sqrt{x + 2}$ splitting the solution $\sqrt[5]{x^4 + (x^2) - 8x + 2}$ from $\sqrt{x - 4}$ Themes, related to solutions: more tutorials on worksheets for algebra In this tutorial, we will consider the synthetic division, which is a simplified form of long separation. The synthetic division is an abbreviated way of dividing a polynomial into a binomial species $(x + c)$ or $(x - c)$. We can simplify the division by separating the odds. Example: Evaluate $(x^3 - 8x + 3) \div (x + 3)$ using synthetic division Solution: $(x^3 - 8x + 3)$ is called a dividend and $(x + 3)$ is called a divisor. Step 1: Save the divisor constant with the change sign - 3 Step 2: Write down the dividend odds. (Be sure to add a factor of 0 for missing terms) Step 3: Download the first factor. Step 4: Multiply $(1)(-3) = -3$ and add to the next coefficient. Repeat step 4 for all odds We find that $(x^3 - 8x + 3) \div (x + 3) = x^2 - 3x + 1$ video is easier to learn synthetic division visually. Please watch the following videos for more examples of synthetic division. Polynom division: Synthetic division Perform synthetic division to separate with binomial $(x - k)$ Example: Divide using synthetic division 1. $(2x^3 + 6x^2 + 29) \div (x + 3)$ 2. $(2x^3 + 6x^2 - 17x + 15) \div (x + 5)$ 3. $(5x^5 - 32) \div (y - 2)$ 4. $(16x^3 - 2 + 14x - 12x^2) \div (2x + 1)$ Display step-by-step solutions divide trinomial of binomial use of synthetic department Example: Divide using synthetic division 1. $(x^2 - 5x + 7) \div (x - 2)$ 2. $(x^2 + 8x + 12) \div (x + 2)$ Show step-by-step synthetic division solutions This video shows how you can use synthetic division to divide polynomial with linear expression. It also shows how synthetic division can be used for the evaluation of polynomials. Example: $(x^3 - 2x^2 + 2x - 4) \div (x - 2)$ Display step-by-step synthetic division solutions This video shows how to use synthetic division for and how to use the remainder to assess polynomial. Example: $(x^4 - x^2 + 5) \div (x + 3)$ Show solutions step by step Try the mathematical path calculator and solve problems below to practice different mathematical themes. Try the examples given or write your own problem and check your answer with step-by-step explanations. We welcome your feedback, comments and questions about this site or page. Please send your feedback or queries via our feedback page. To continue to enjoy our site, we ask you to confirm your identity as a person. Thank you so much for your cooperation. Cooperation.